

Secure Authentication over Insecure Channels

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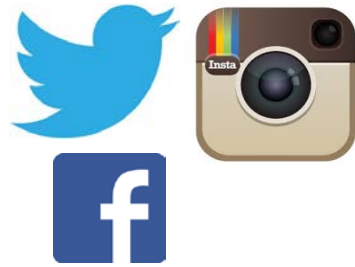
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Services



The e-world today



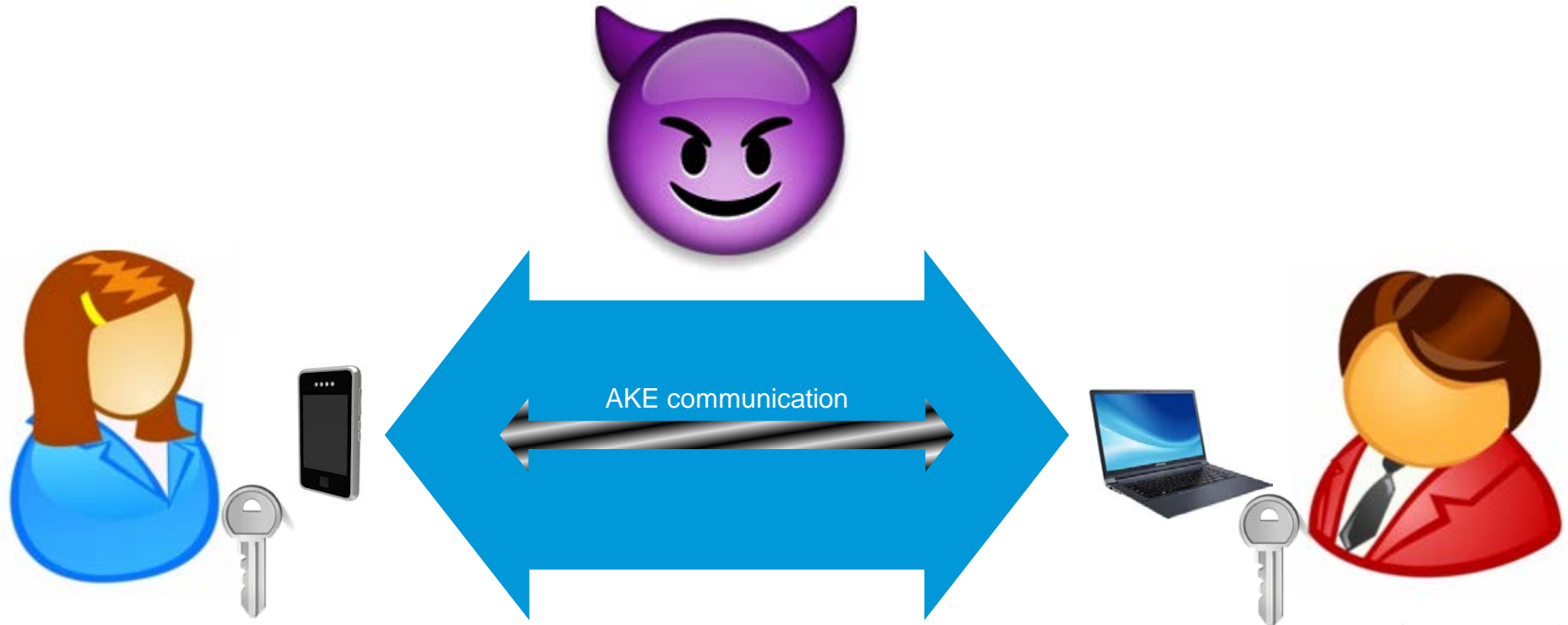
Hardware




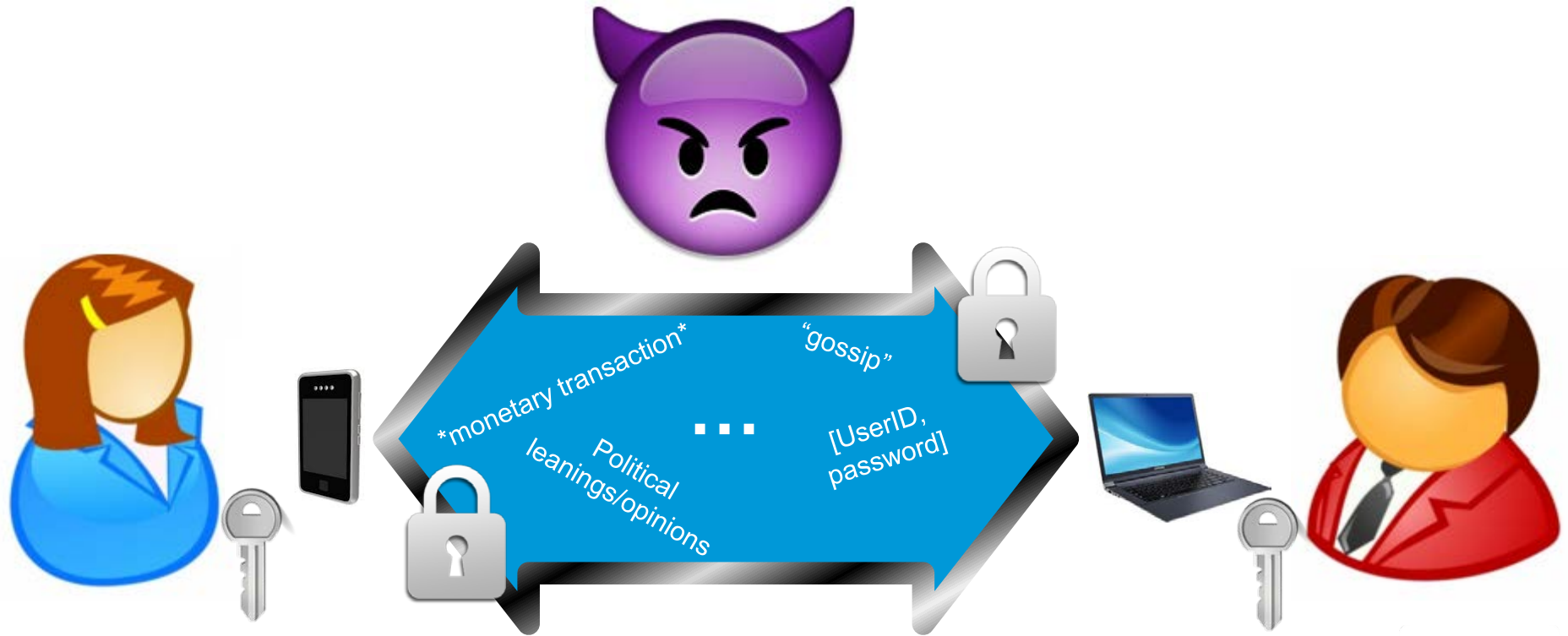
Breaks!!!



- The Internet has to be properly secured
- How?
- A fundamental starting point: Secure communications
- A crypto solution: **Authenticated Key Exchange** protocols



- Both parties have the guarantee that  is known only by the correct opposing party
- Long-term authentication material must be in place (e.g. passwords, PKI...)



AKE

- Not new technology (dates back to 1976, with Diffie and Hellman)
- Everybody in the room has used it at least once:
 - You're using it anytime you see this:



What is the mathematical study of AKE security?

- 1) Create a mathematical model of the adversary
- 2) Define “breaking” the protocol
- 3) Prove mathematically that the adversary cannot break the protocol

Why is it important?

- 1) Eliminates a large class of adversaries
- 2) Provides new insight into protocol design and desirable security properties
- 3) Secure systems start with fundamentally secure crypto

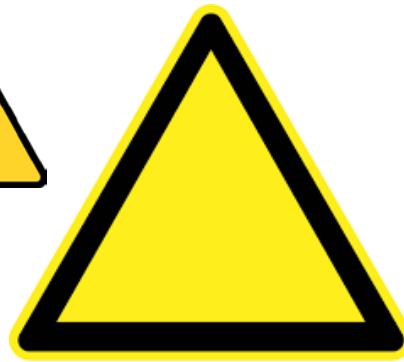
What kind of research?

- 1) The modeling is not yet fully understood
- 2) Models need refinement and enrichment

AKE

- initialize user instance $(\mathcal{U}, i, role_{\mathcal{U}}^i, pid_{\mathcal{U}}^i)$: \mathcal{A} activates an instance \mathcal{U}^i of initialized user \mathcal{U} , where $i \in \mathbb{N}$. \mathcal{A} specifies \mathcal{U}^i 's $role_{\mathcal{U}}^i \in \{open, connect\}$ and partner identity $pid_{\mathcal{U}}^i$. We convene that the instance with the role *open* sends the last protocol message, while the instance with the role *connect* receives the last protocol message. We require that $pid_{\mathcal{U}}^i$ be the identity of some other initialized user \mathcal{V} . Furthermore, we must have $role_{\mathcal{U}} = client$ and $role_{\mathcal{V}} = server$ or vice-versa.
- send $(\mathcal{U}, i, InMsg)$: \mathcal{A} sends message $InMsg$ to instance \mathcal{U}^i . As a result, \mathcal{U}^i processes $InMsg$ according to the protocol, and outputs a reply $OutMsg$ and its $status_{\mathcal{U}}^i \in \{continue, abort, accept, terminate\}$ to \mathcal{A} .
Depending on the value of $status_{\mathcal{U}}^i$, the following happens:
 - If $status_{\mathcal{U}}^i = continue$, \mathcal{U}^i is simply waiting for another protocol message;
 - If $status_{\mathcal{U}}^i = accept$, \mathcal{U}^i must have $role_{\mathcal{U}}^i = connect$. \mathcal{U}^i has generated a session identity $sid_{\mathcal{U}}^i \neq \varepsilon$, and may be waiting for another protocol message. The session identity $sid_{\mathcal{U}}^i$ is handed to \mathcal{A} . This status indicates that the instance believes it has enough information to compute a good session key;
 - If $status_{\mathcal{U}}^i = terminate$, \mathcal{U}^i has generated a session key $sk_{\mathcal{U}}^i$ and a session identity $sid_{\mathcal{U}}^i$ and will no longer produce or receive messages. The session identity $sid_{\mathcal{U}}^i$ is handed to \mathcal{A} . The session key $sk_{\mathcal{U}}^i$ is not.
 - If $status_{\mathcal{U}}^i = abort$, \mathcal{U}^i halts with $sk_{\mathcal{U}}^i = \perp$ and will no longer produce or receive messages.
- execute $(\mathcal{C}, i, \mathcal{S}, j)$: This causes an honest protocol execution between instances \mathcal{C}^i and \mathcal{S}^j . The complete set $ExchMsg$ of exchanged messages is then handed to \mathcal{A} . Both instances \mathcal{C}^i and \mathcal{S}^j must have been initialized but otherwise unused, and at the end of the query we have $status_{\mathcal{C}}^i = status_{\mathcal{S}}^j = terminate$.
- ideal oracle (F, x) : \mathcal{CH} returns the value of $v = F(x)$ (where $F \in \{H, E, D\}$) to \mathcal{A} .

$$T := \frac{6n_{se}}{N} + \frac{4(n_{se} + n_{ex})(2n_{se} + n_{ex} + n_{h1})}{q^2} + \frac{n_{h0}^2 + 2n_{h1}}{q} + \frac{n_{h1}^2 + 2n_{se}}{2^k} + 2n_{h1}(1 + n_{se}^2) \times Succ_{PW, \mathbb{G}}^{cdh}(\mathcal{B}) + 4n_{h0}^3 \times \left(Adv_{g, \mathbb{G}}^{didh}(\mathcal{D}) + \frac{n_{h1}^3 + 3n_{se}}{q} \right) \quad (5)$$



Theoretical AKE
security is
absolutely
necessary but
CERTAINLY
NOT
SUFFICIENT



TAKEAWAY POINTS

- AKE (and secure channel) protocols are **CENTRAL** to having a secure, trustworthy platform for online communication for anybody online
- AKE protocol design and deployment starts (but certainly does not end) with good security theory
- AKE security theory is not yet fully understood, warranting further research



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